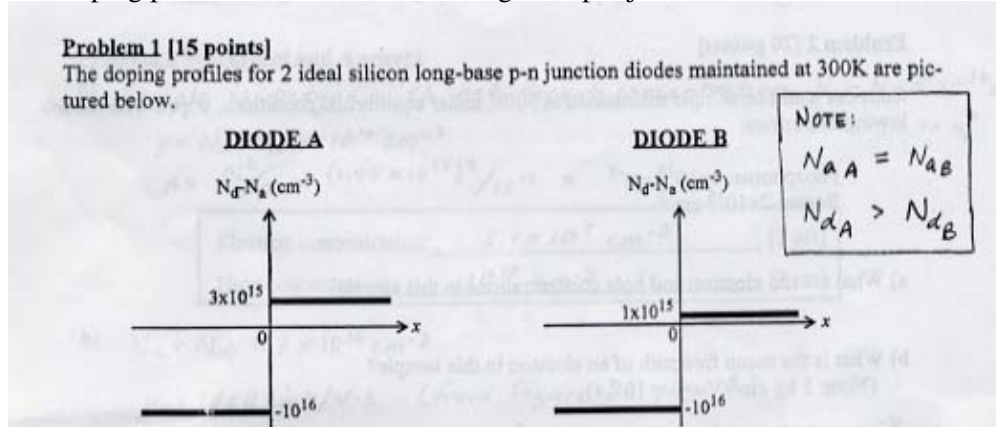


University: U.C. Berkeley
 Organization: Eta Kappa Nu
 Created By: Zachary Oberman
 Last Modified: 4/26/01

**EE 130 Fall 1997
 Midterm 1 Solutions
 Professor King**

Problem #1

The doping profiles for 2 ideal silicon long-base p-n junction diodes maintained at 300k are pictured below.



The minority carrier lifetimes in the quasi-neutral regions (τ_n, τ_p) are the same for these 2 diodes.

Answer the following questions (circle the correct choice):

- a) The magnitude of the built-in potential in Diode A is LARGER THAN the magnitude of the built-in potential in Diode B.
- b) The saturation current of Diode A is SMALLER THAN the saturation current of Diode B.
- c) The reverse breakdown voltage of Diode A is SMALLER THAN the reverse breakdown voltage of Diode B.
- d) The minority carrier diffusion length on the n-type side is SMALLER in Diode A as compared with Diode B.
- e) For a given forward bias ($V_a > 0$), the excess hole density at the edge of the depletion region on the n-type side, $p_n(x_n)$, will be SMALLER in Diode A as compared with Diode B

Problem #2

Consider a silicon sample maintained at 300K under equilibrium conditions, doped with the following impurities:

Phosphorus: $1 \cdot 10^{16} \text{ cm}^{-3}$

Boron: $2 \cdot 10^{16} \text{ cm}^{-3}$

a) $p = N_a - N_d = 10^{16} \text{ cm}^{-3}$
 $n = n_i^2/p = (1.45 \cdot 10^{10})^2/10^{16} =$

Electron concentration: $2.1 \cdot 10^4 \text{ cm}^{-3}$

Hole Concentration: 10^{16} cm^{-3}

b) $N_a + N_d = 3 \cdot 10^{16} \text{ cm}^{-3}$

$\mu_n = 1000 \text{ cm}^2/\text{V} \cdot \text{s}$ (From figure on page 2)

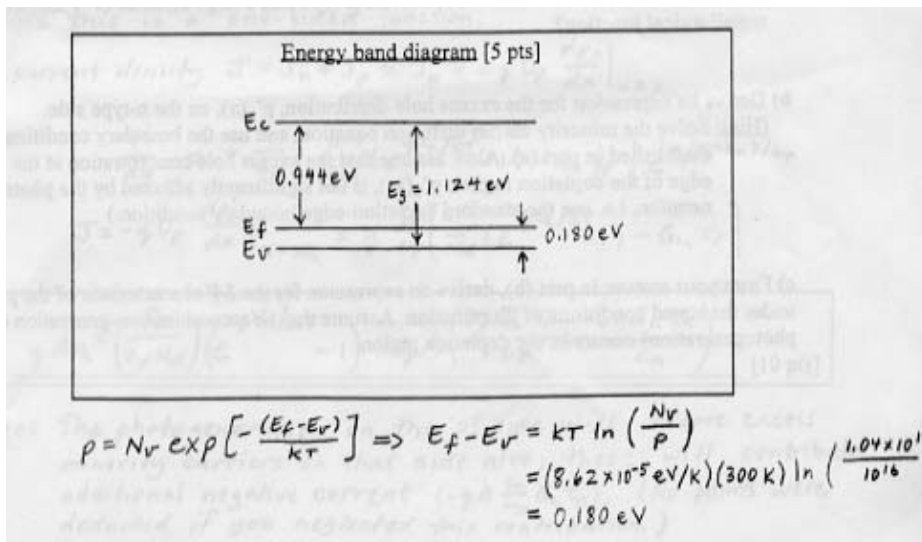
$\mu_n = q \cdot \tau_{cn}/m_n^* \Rightarrow \tau_{cn} = \mu_n(m_n^*)/q = 0.148 \text{ ps}$

$l = (\tau_{cn})v_{th} = 1.48 \cdot 10^{-6} \text{ cm}$

Mean free path: $1.48 \cdot 10^{-6} \text{ cm} = 14.8 \text{ nm}$

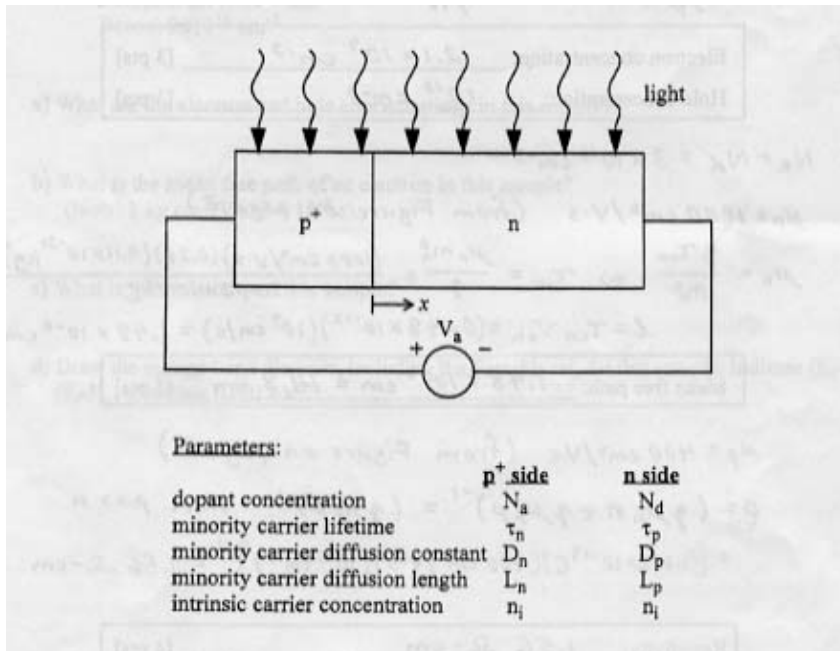
c) $\mu_p = 400 \text{ cm}^2/\text{V} \cdot \text{s}$

$\rho = (q(\mu_n)n + q(\mu_p)p)^{-1} \approx (q(\mu_p)p)^{-1} = 1.56 \text{ } \Omega \cdot \text{cm}$



d)

Problem #3



a) far away from junction $p_n(x \rightarrow$

infinity): $G_L(\tau_p)$

b) since $p_n(\infty)$ is finite and equal to $G_L(\tau_p)$, $A_2 = 0$, and $A_3 = G_L(\tau_p)$

$$p_n(x_n) = A_1 + G_L(\tau_p) = (n_i^2/N_d)(e^{(qV_a/kt)} - 1)$$

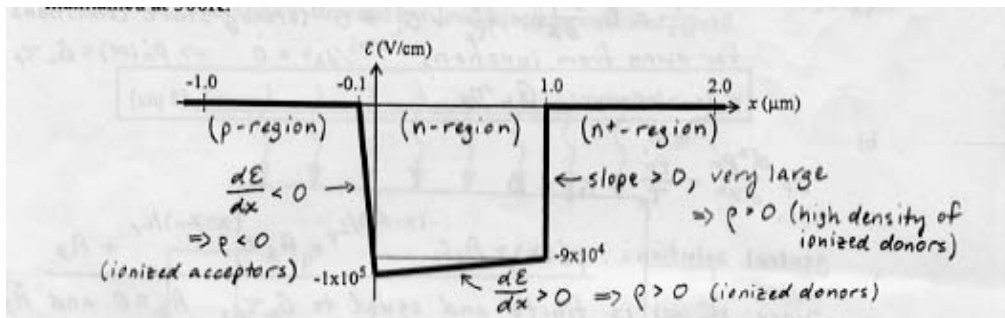
$$p_n(x) = [(n_i^2/N_d)(e^{(qV_a/kt)} - 1) - G_L(\tau_p)]e^{-(x-x_n)/L_p} + G_L(\tau_p)$$

c) Since this is a one-sided junction,
current density $J = J_n + J_p \approx J_p = -qD_p(dp/dx)$

$$I = -qAn_i^2(D_p/L_p N_d)(e^{qV_a/kT} - 1) - qA(D_p G_L(\tau_p)/L_p + D_n G_L(\tau_n)/L_n)$$

Note: The photogeneration on the p+ side will create excess minority carriers on that side also; these will contribute additional negative current ($-qA(dn/L_n)G_L(\tau_n)$).

Problem #4



No other solutions available

**Posted by HKN (Electrical Engineering and Computer Science Honor Society)
University of California at Berkeley
If you have any questions about these online exams
please contact examfile@hkn.eecs.berkeley.edu.**