

## CS 61C (Clancy)

## Exam 2

**Problem 1 (4 points, 8 minutes)**

Given below is a MAL program segment that computes  $(x+1.0)^2$  by adding  $x^2$  to  $2x$ , then adding 1 to that sum.

```

                .data
x:              .float
answer:         .float
one:           .float      1.0

                .text
_start:
                l.s      $f4,x
                l.s      $f6,one
mul.s          $f8,$f4,$f4    # x^2
add.s          $f8,$f8,$f4    # + 2*x
add.s          $f8,$f8,$f4
add.s          $f8,$f8,$f6    # + 1.0
                s.s      $f8,answer

```

**Part a**

Consider the case where  $x$  is  $2.0^{12}$ . What is the difference between the value stored in `answer` and the actual value of  $(2.0^{12} + 1.0)^2$ ? (If the answer is the computed correctly, the difference will be 0.) Show your work.

**Part b**

Does the sequence in which the terms are added affect the correctness of the answer? Briefly explain.

**Problem 2 (6 points, 10 minutes)**

Translate the C/C++ function `PrintDownUp` to MAL, retaining its recursive structure, passing its argument in the appropriate register, and following the usual register conventions. Translate `putchar` into a `putc` pseudoinstruction whose register argument contains the character to print.

```

void PrintDownUp (char c) {
    if (c=='a') {
        putchar (c);
    } else {
        putchar (c);
        PrintDownUp (c-1);
        putchar (c);
    }
}

```

}

**Problem 3 (8 points, 15 minutes)**

An addendum to this exam contains the code for `iout.soln.s`, the solution to the first part of project 3, modified slightly as follows. The infinite loop

```

loop:
    la    $4, string
    jal   print
    j     loop

```

has been replaced by five calls to `print`, followed by another loop that does nothing 10000 times, followed by `done`. When `spim` is started\* and the program modified as just described is loaded and run, the output

```

Just wasting time
Just wasting time
Just wasting time
Just wasting time
Just wasting time

```

(95 characters - there's a carriage return and a line feed at the end of each line) is produced and the program terminates.

Two of the instructions in the `intrp` routine are boxed:

- the instruction `sw $0,8($10)` immediately preceding the branch to `intDone`;
- the instruction `addiu $8,$8,1` six lines further on.

In this problem., you consider the effect of removing each boxed instruction.

\*Making `spim` work correctly requires that it be supplied with command-line options `-memio` and `-quiet` after giving the command `stty min 1 -icanon` to the UNIX shell. We assume here that `spim` has been started in this way.

**Part a**

What will be the effect of removing the boxed `sw $0,8($10)` and running the program? Describe the program's output. Also indicate whether the program terminates normally or ends up in an infinite loop and, if so, where. Briefly explain your answer.

**Part b**

What will be the effect of removing the boxed `addiu $8,$8,1` (retaining the `sw`) and running the program? Describe the program's output. Also indicate whether the program terminates normally or ends up in a infinite loop and, if so, where. Briefly explain your answer.

**Problem 4 (6 points, 10 minutes)**

Consider a logic circuit that, given inputs `X0`, `X1`, and `X2`, produces a binary encoding in outputs `q1` and `q0`

of how many of the  $X_k$  are 1. A truth table relating  $q_1$  and  $q_0$  to the  $X_k$  appears below.

$X_0$	$X_1$	$X_2$	$q_1$	$q_0$
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

Using and, or, not, and xor, design Boolean equations to represent the circuit. your equations should be simplified where possible; show your work.

**Problem 5 (4 points, 6 minutes)**

Consider a function `IsolateFloatFields` that isolates components of a normalized positive floating point value in IEEE 32-bit format. Given such a value, `IsolateFloatFields` should return

- the exponent, and
- the integer that results from omitting the binary point from fraction represented by the significand.

For example, if the value 2.875 base 10 (which  $1.0111 * 2^1$ ) is passed to `IsolateFloatFields`, it should return the integer 1 for the exponent and the integer whose binary representation is 10111 followed by nineteen zeroes for the significand.

Complete the assignment statements in either the C version or C++ version (not both) of the function `IsolateFloatFields` below. Don't add any code outside the blanks.

The `TheBits` functions returns an unsigned integer whose bits are the same as those of its float argument. It's needed since bitwise operators in C and C++ may not be applied to float values.

*C version*

```
void IsolateFloatFields (float x, int *exponent, int *fractBits) {
    unsigned int bits = TheBits (x);

    *exponent = _____;
    *fractBits = _____;
}
```

*C++ version*

```
void IsolateFloatFields (float x, int &exponent, int &fractBits) {
    unsigned int bits = TheBits (x);
```

exponent = \_\_\_\_\_;  
fractBits = \_\_\_\_\_;